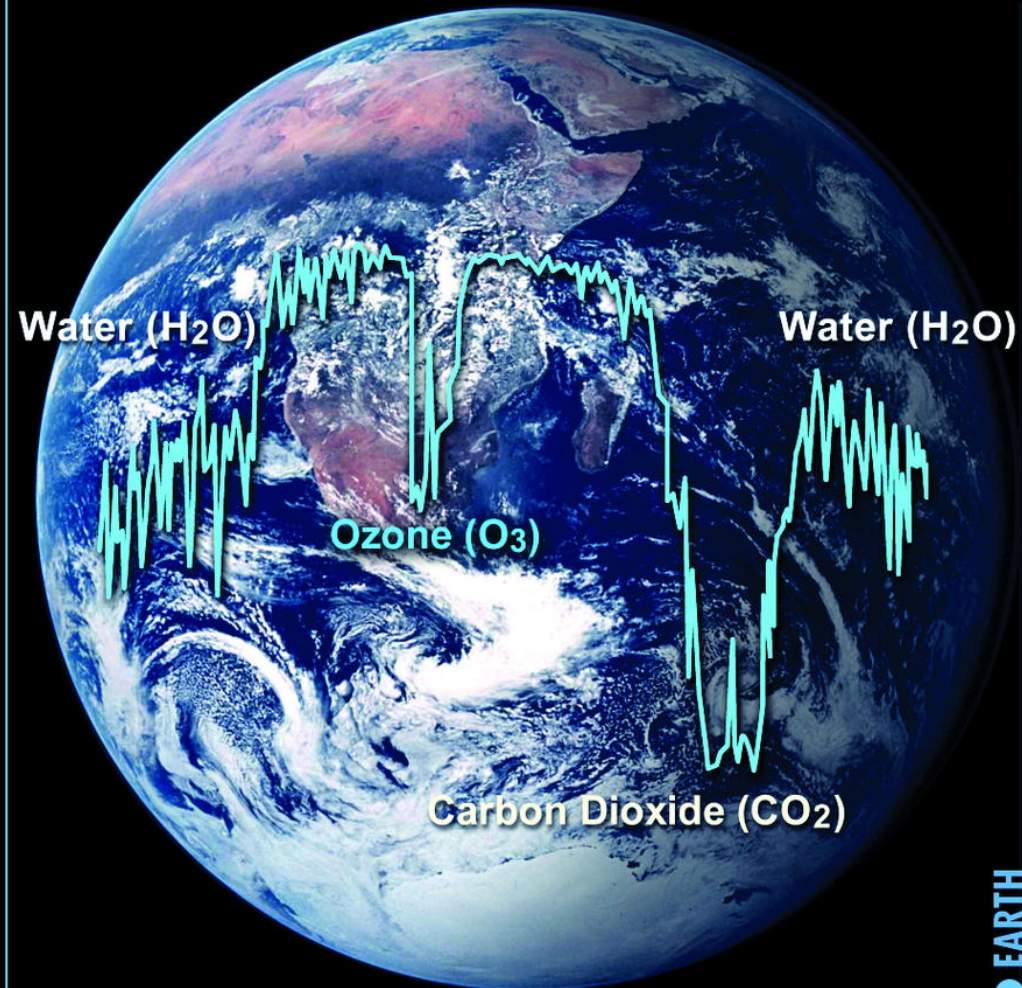
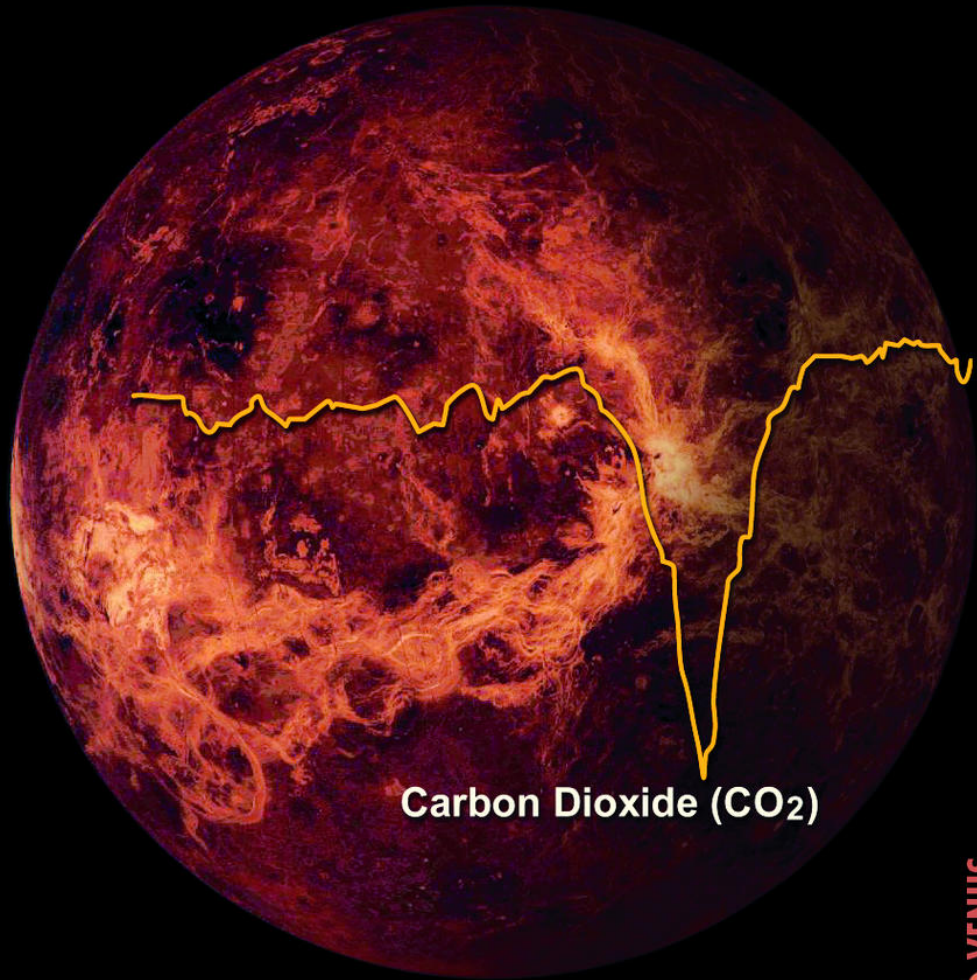


# Planetary Habitability



Stephen Kane

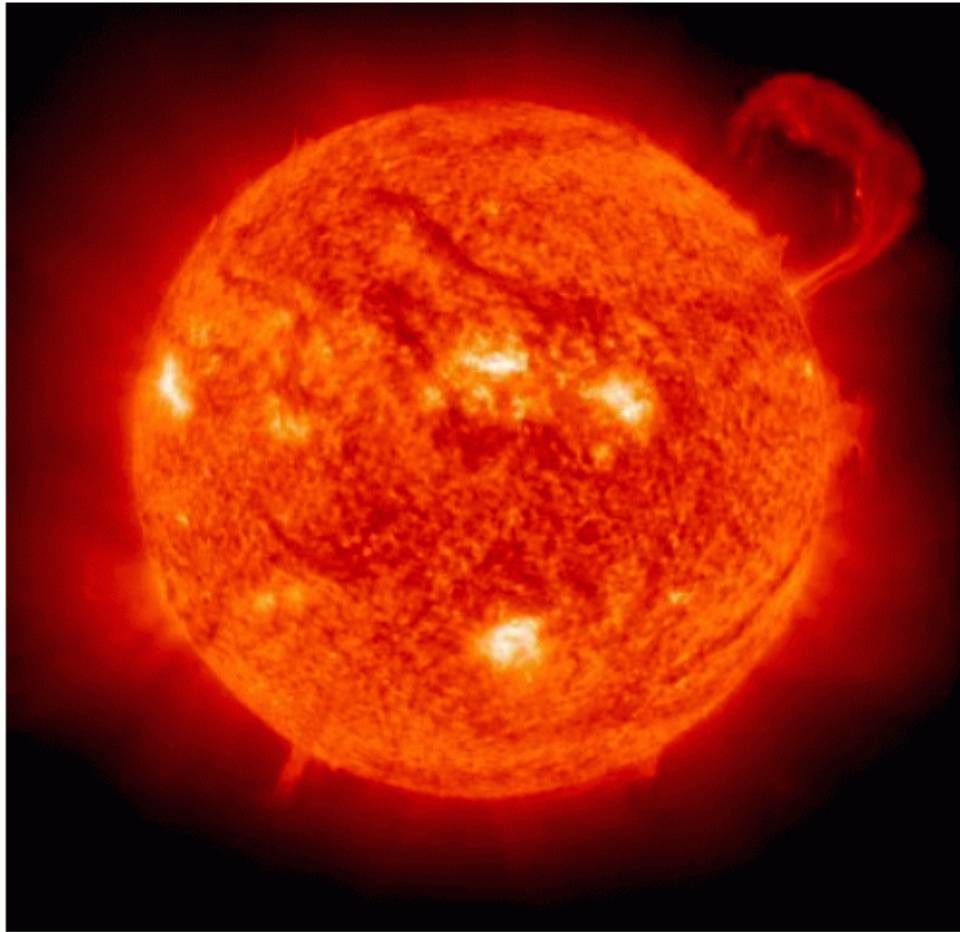
# Topics

- **Lecture 1 - Introduction**
- **Lecture 2 - Habitability Factors**
- **Lecture 3 - Stars**
- **Lecture 4 - Planetary Atmospheres**
- **Lecture 5 - Planetary Interiors**
- **Lecture 6 - Planetary Energy Balance**
- **Lecture 7 - Habitable Zone I**
- **Lecture 8 - Habitable Zone II**
- **Lecture 9 - Earth as a Living Planet**
- **Lecture 10 - Mars**
- **Lecture 11 - Icy Moons**
- **Lecture 12 - Venus**
- **Lecture 13 - Mercury & the Moon**
- **Lecture 14 - The Role of Giant Planets**
- **Lecture 15 - Stellar Influences**
- **Lecture 16 - Magnetic Fields**
- **Lecture 17 - Milankovitch Cycles**
- **Lecture 18 - Geological Cycles**
- **Lecture 19 - The Next Steps**
- **Lecture 20 - Summary/Discussion**

# Intrinsic Properties of Stars

- **Mass**
- **Radius**
- **Effective Temperature**
- **Luminosity**
- **Composition (metallicity)**
- **Age**

# Numbers you should know: The Sun



source: SOHO/EIT

Mass  $\approx 2 \times 10^{30}$  kg =  $1 M_{\odot}$

Radius  $\approx 7 \times 10^8$  m =  $1 R_{\odot}$

Distance =  $1.5 \times 10^{11}$  m = 1 AU

Luminosity =  $4 \times 10^{26}$  W =  $1 L_{\odot}$

Surface temperature = 5800 K

age  $\approx 4.5$  Gyr

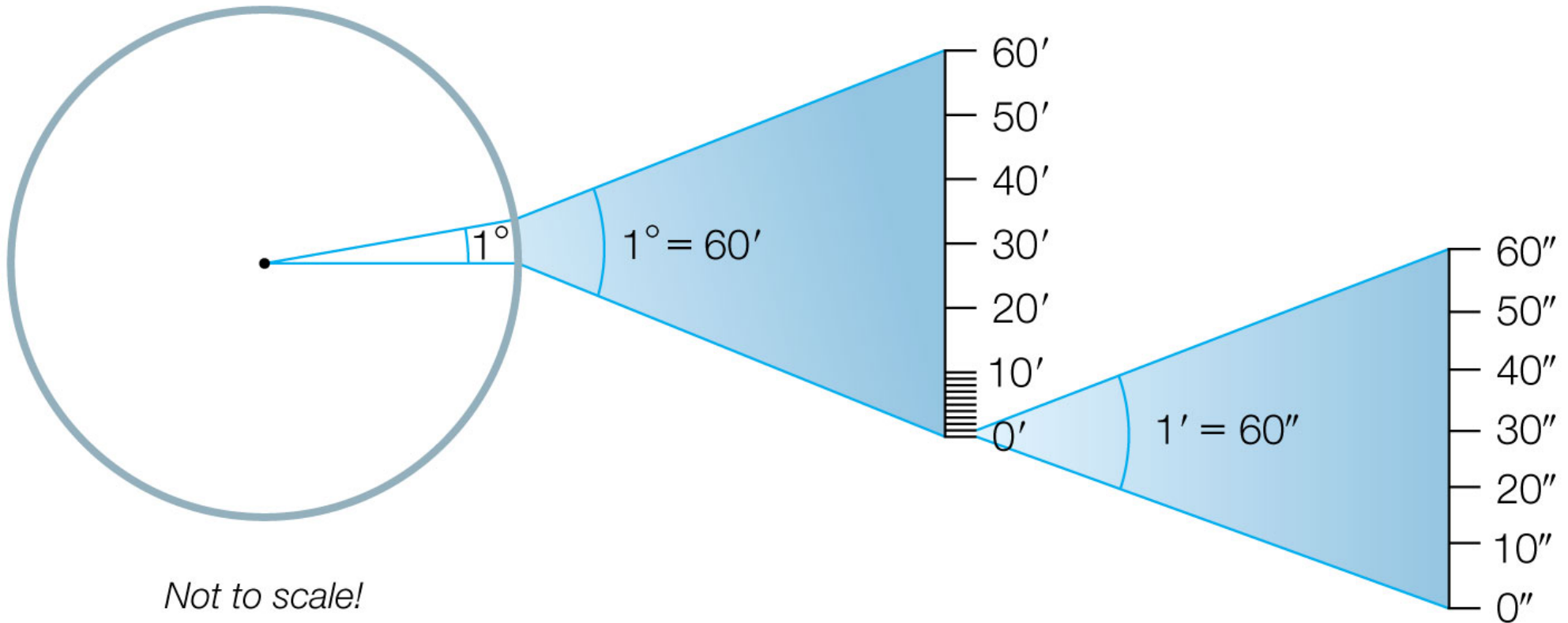
spectral type = G2 V

All other stars are scaled to these parameters for convenience.

# Stellar Parallax

# Angular Measurements

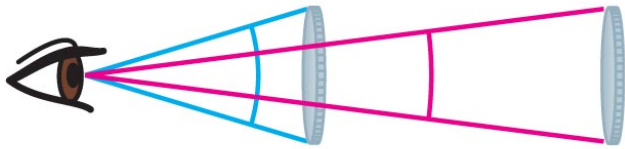
- Full circle =  $360^\circ$
- $1^\circ = 60'$  (arcminutes)
- $1' = 60''$  (arcseconds)



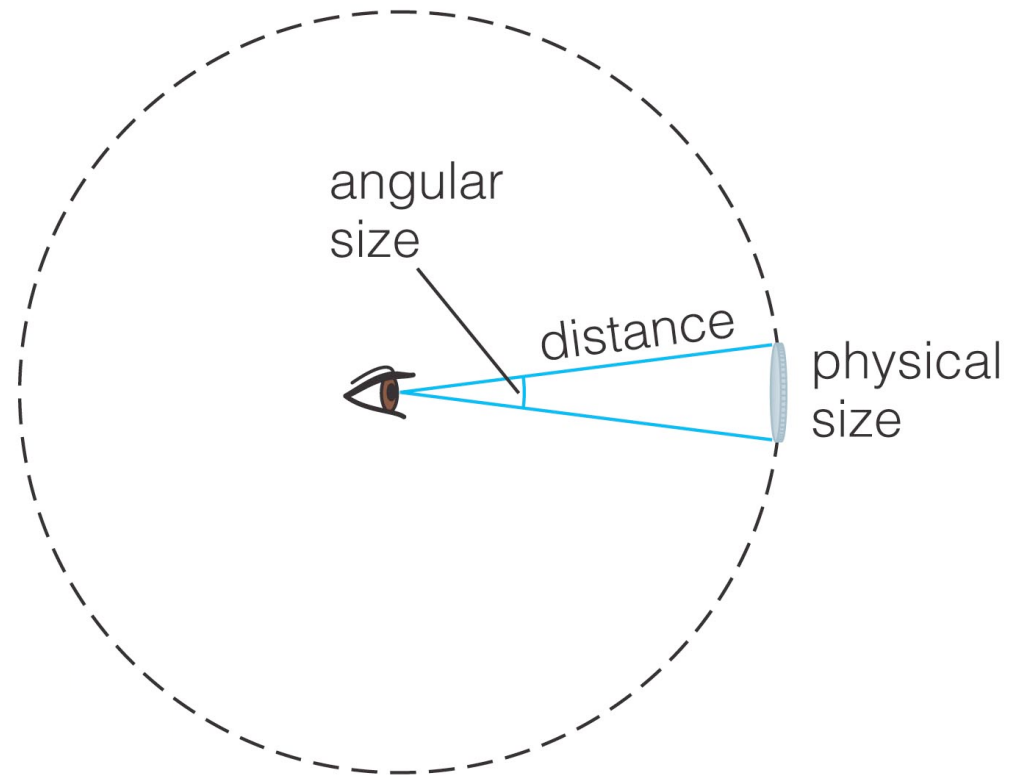
*Not to scale!*

# Angular Size

$$\text{angular size} = \text{physical size} \cdot \frac{360 \text{ degrees}}{2\pi \cdot \text{distance}}$$



An object's angular size appears smaller if it is farther away.



Every January, we see this



distant stars



Every July, we see this

*As Earth orbits the Sun ...*



nearby star

$p$

$d$

*... the position of a nearby star appears to shift against the background of more distant stars.*

1 AU

*Not to scale*

July

January

# Parallax and Distance

$p$  = parallax angle

$$d \text{ (in parsecs)} = \frac{1}{p \text{ (in arcseconds)}}$$

$$d \text{ (in light-years)} = 3.26 \frac{1}{p \text{ (in arcseconds)}}$$

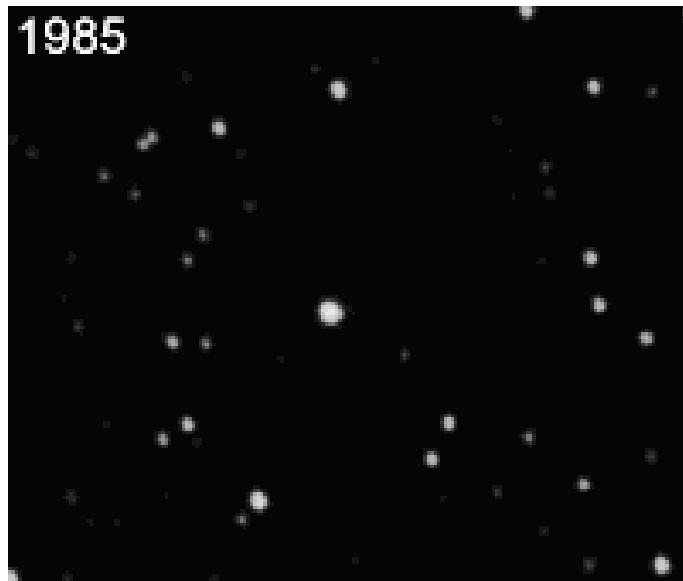
One **parsec** is the distance at which the mean radius of the Earth's orbit subtends an angle of one second of arc.



Robert Innes – discovered Proxima in 1915

# Proxima Centauri

Nearest star to the Solar System and Sun



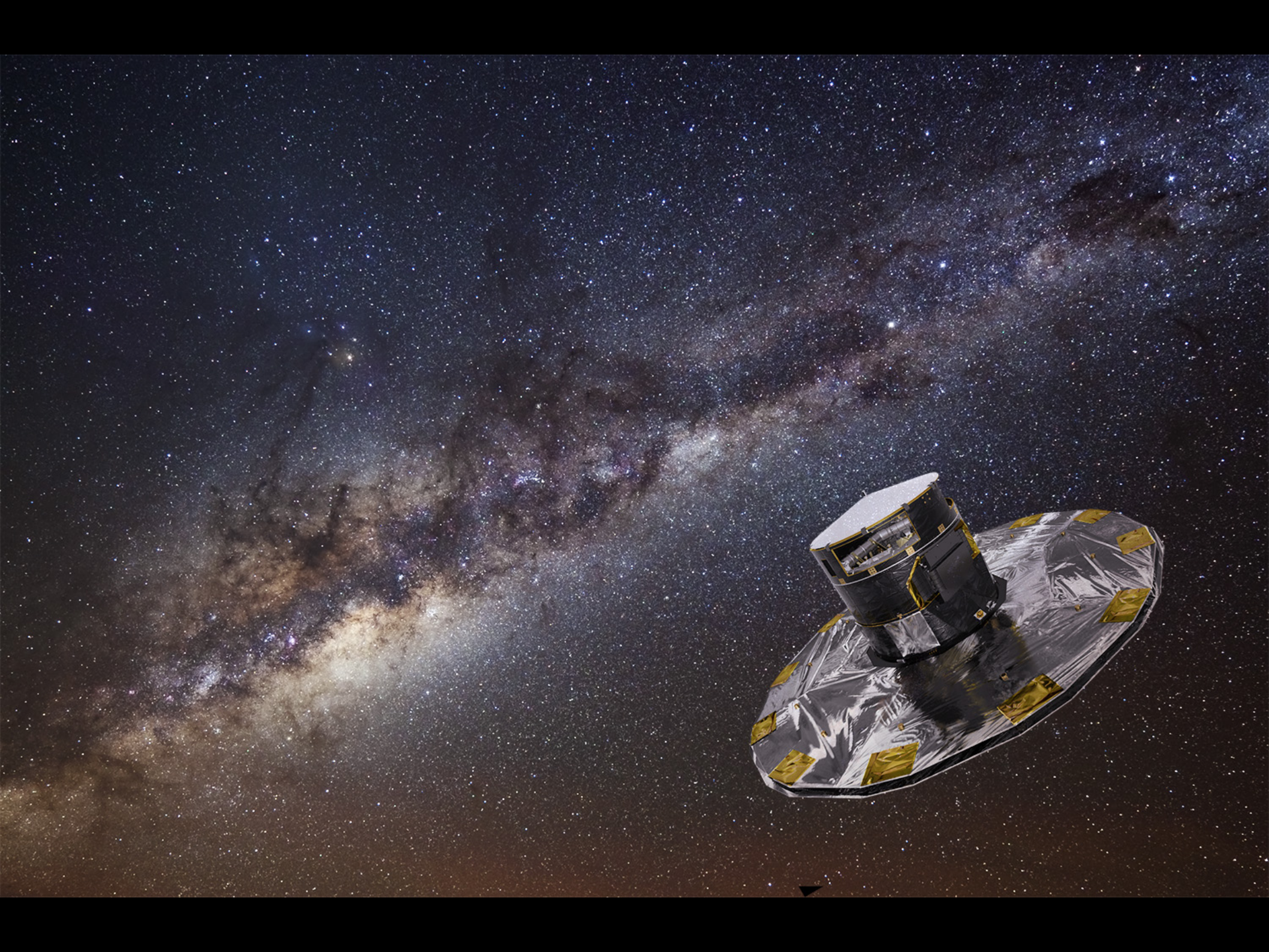
**Proper motion over 25 years**

Observed parallax shift on the sky  
over a six month time interval is

$$\begin{aligned}\text{Angle} &= 1.5377 \text{ arc seconds} \\ &= 0.00042714 \text{ degrees} \\ &= 2 \times P\end{aligned}$$

$$\text{Angle of parallax} = P = 1.5377 / 2 = 0.76885 \text{ arc seconds}$$

$$\text{Distance to Proxima} = 1 / P = 1/0.76885 = 1.301 \text{ parsecs}$$



# The Magnitude Scale

## ***Luminosity:***

Amount of power a star radiates

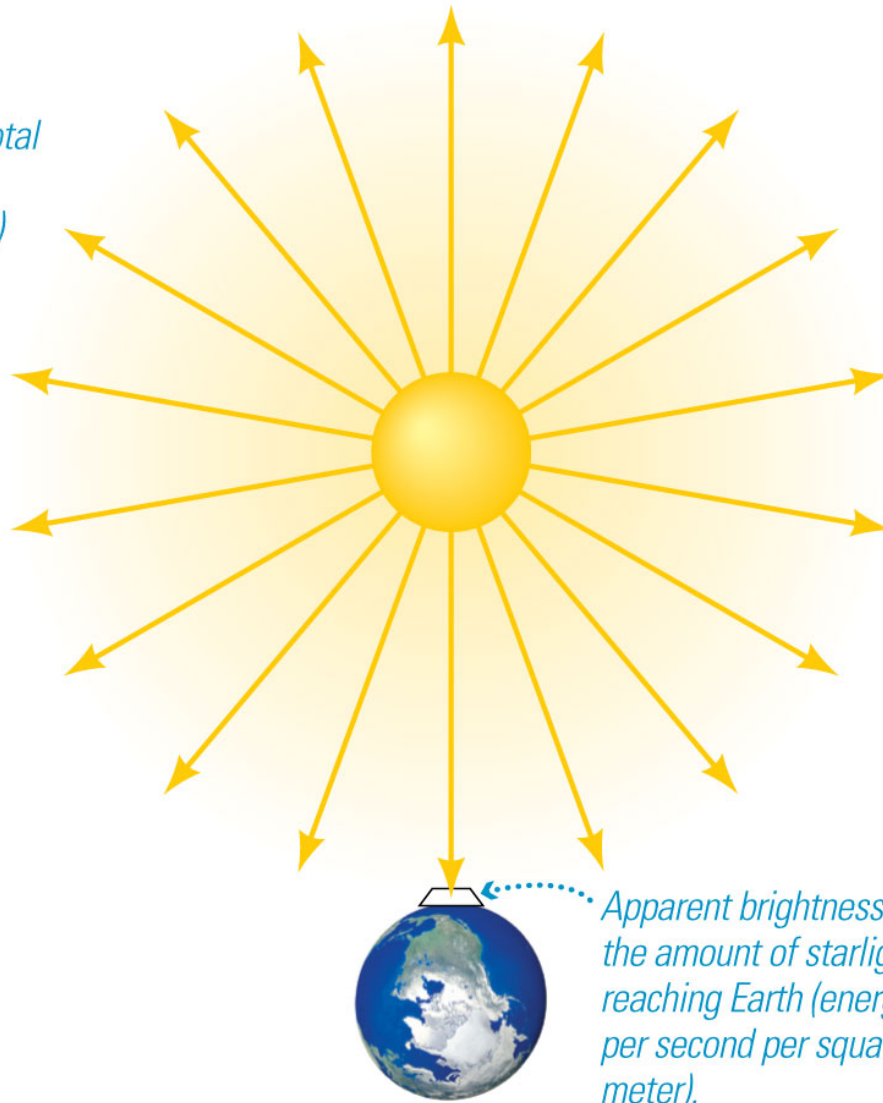
(Joules per second = watts)

## ***Apparent brightness:***

Amount of starlight that reaches Earth

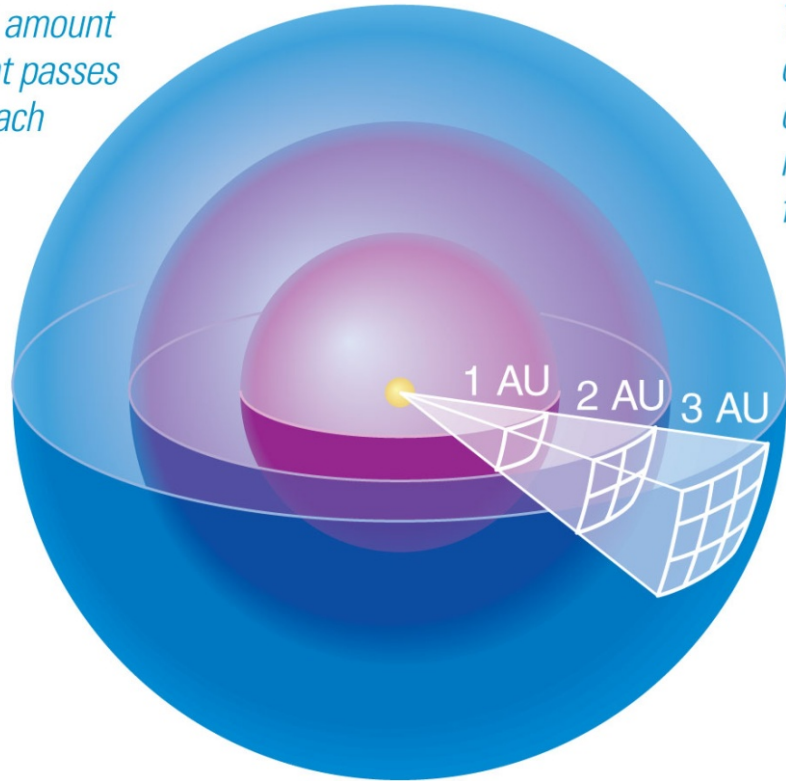
(energy per second per unit area)

*Luminosity is the total amount of power (energy per second) the star radiates into space.*



*Not to scale!*

*The same amount of starlight passes through each sphere.*



*The surface area of a sphere depends on the square of its radius (distance from the star) . . .*

*. . . so the amount of light passing through each unit of area depends on the inverse square of its distance from the star.*

Apparent brightness follows the **inverse square law**.

Luminosity passing through each sphere is the same.

Area of sphere:  
 $4\pi (\text{radius})^2$

Divide luminosity by area to get brightness.

The relationship between apparent brightness and luminosity depends on distance:

$$\text{Brightness} = \frac{\text{Luminosity}}{4\pi (\text{distance})^2}$$

We can determine a star's luminosity if we can measure its distance and apparent brightness:

$$\text{Luminosity} = 4\pi (\text{distance})^2 \times (\text{Brightness})$$

# Flux and luminosity

- Flux decreases as we get farther from the star – like  $1/\text{distance}^2$

$$F = \frac{L}{4\pi D^2}$$

# The Magnitude Scale

- **Apparent magnitude** is a description of how bright stars appear on the sky.
- A difference of 5 magnitudes represents a factor of 100 difference in brightness.
- **Absolute magnitude** is the apparent magnitude of a star at a distance of 10 parsecs.
- The absolute magnitude of the Sun is 4.8.

<b>Object</b>	<b>Apparent Magnitude</b>
<b>Sun</b>	<b>- 26.5</b>
<b>Full moon</b>	<b>- 12.5</b>
<b>Venus (at brightest)</b>	<b>- 4.4</b>
<b>Mars (at brightest)</b>	<b>- 2.7</b>
<b>Jupiter (at brightest)</b>	<b>- 2.6</b>
<b>Sirius (brightest star)</b>	<b>- 1.4</b>
<b>Canopus (second brightest star)</b>	<b>- 0.7</b>
<b>Vega</b>	<b>0.0</b>
<b>Spica</b>	<b>1.0</b>
<b>Naked eye limit in urban areas</b>	<b>3-4</b>
<b>Uranus</b>	<b>5.5</b>
<b>Naked eye limit in rural areas</b>	<b>6-6.5</b>
<b>Bright asteroid</b>	<b>6</b>
<b>Neptune</b>	<b>7.8</b>
<b>Limit for typical binoculars</b>	<b>9-10</b>
<b>Limit for 15-cm (6-in.) telescope</b>	<b>13</b>
<b>Pluto</b>	<b>15</b>
<b>Limit for visual observation with largest telescopes</b>	<b>19.5</b>
<b>Limit for photographs with largest telescopes</b>	<b>23.5</b>
<b>Expected limit for Hubble Space Telescope</b>	<b>28±</b>

### **Apparent magnitudes of selected objects**

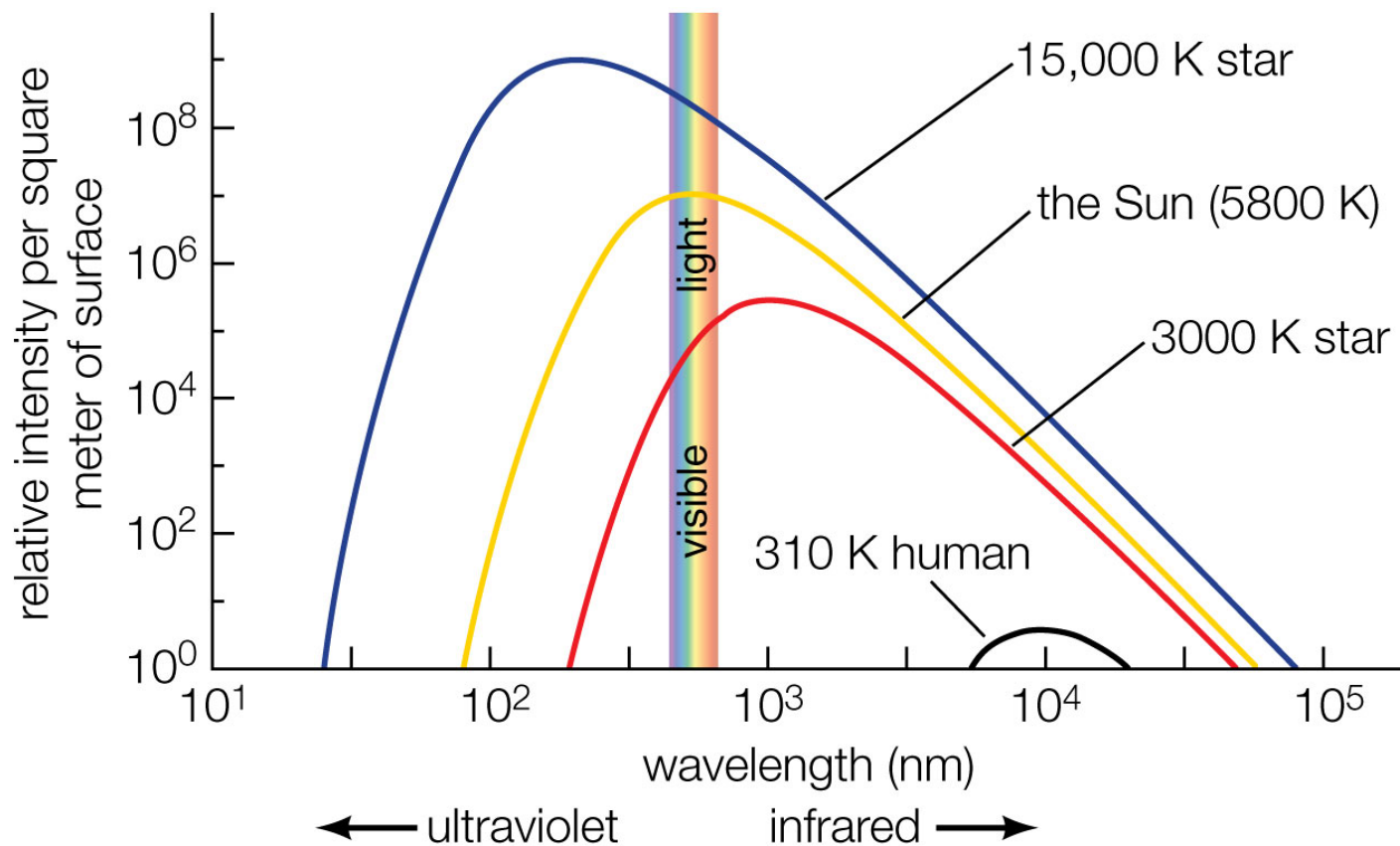
# Blackbody Radiation

# Thermal (Blackbody) Radiation

- Nearly all large or dense objects emit thermal radiation, including stars, planets, and you.
- An object's thermal radiation spectrum depends on only one property: its **temperature**.
- A **blackbody** is an ideal emitter that absorbs all incident energy and reradiates the energy.
- We can use this to determine the temperatures of stars and planets.

# Properties of Thermal Radiation

1. Hotter objects emit more light at all frequencies per unit area (Stefan-Boltzmann law).
2. Hotter objects emit photons with a higher average energy (Wien's law).



# Stefan-Boltzmann law

- Stefan-Boltzmann constant:

$$\sigma = 5.670400 \times 10^{-8} \text{ W m}^{-2} \text{ K}^{-4}.$$

- For a spherical star of radius R:

$$L = 4\pi R^2 \sigma T_e^4.$$

- The **Stefan-Boltzmann equation**.

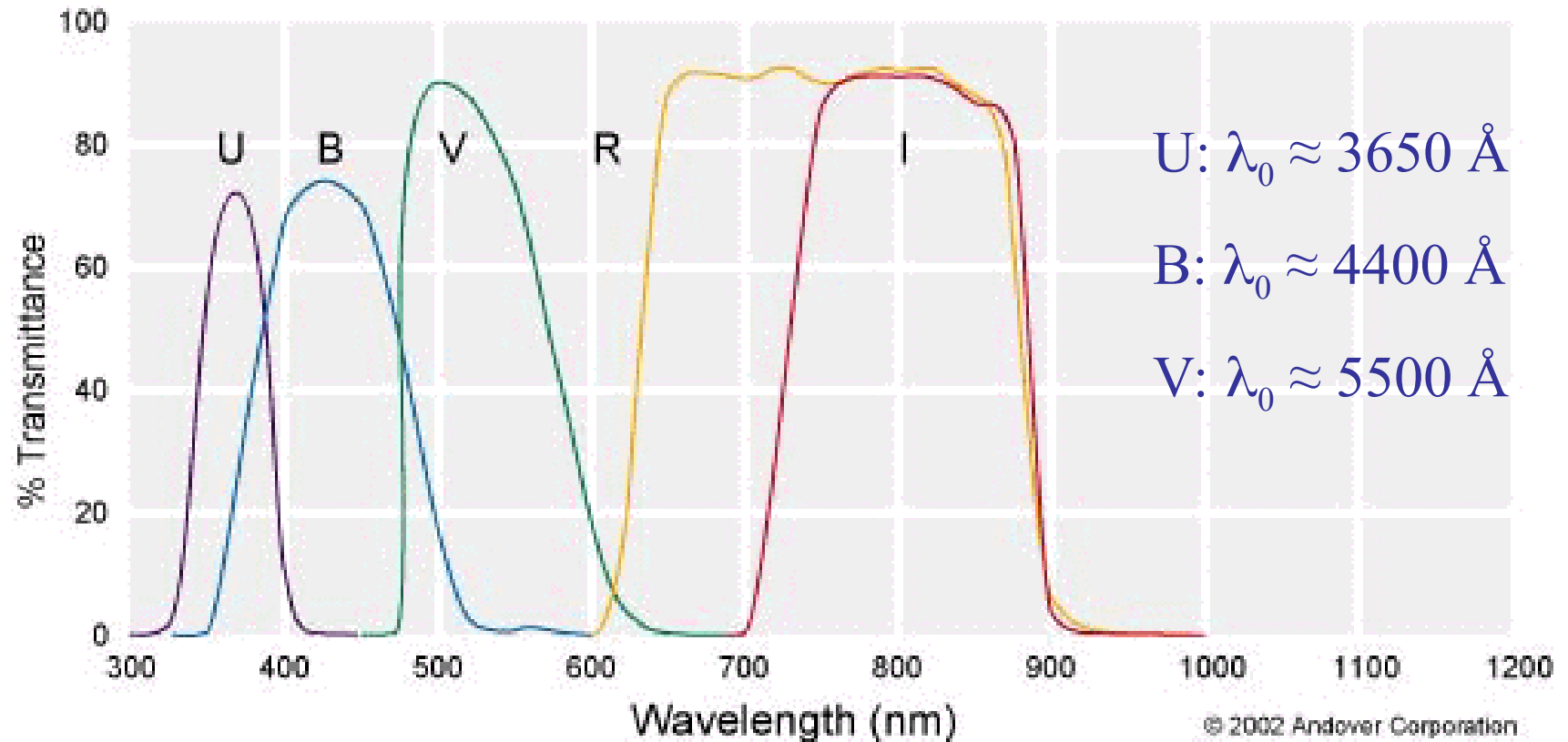
# Wien's law

- Cooler objects produce radiation that peaks at lower energies = longer wavelengths = redder colors.
- Hotter objects produce radiation that peaks at higher energies = shorter wavelengths = bluer colors.
- Wavelength of peak radiation:  
Wien's Displacement Law

$$\lambda_{\max} T = 0.002897755 \text{ m K.}$$

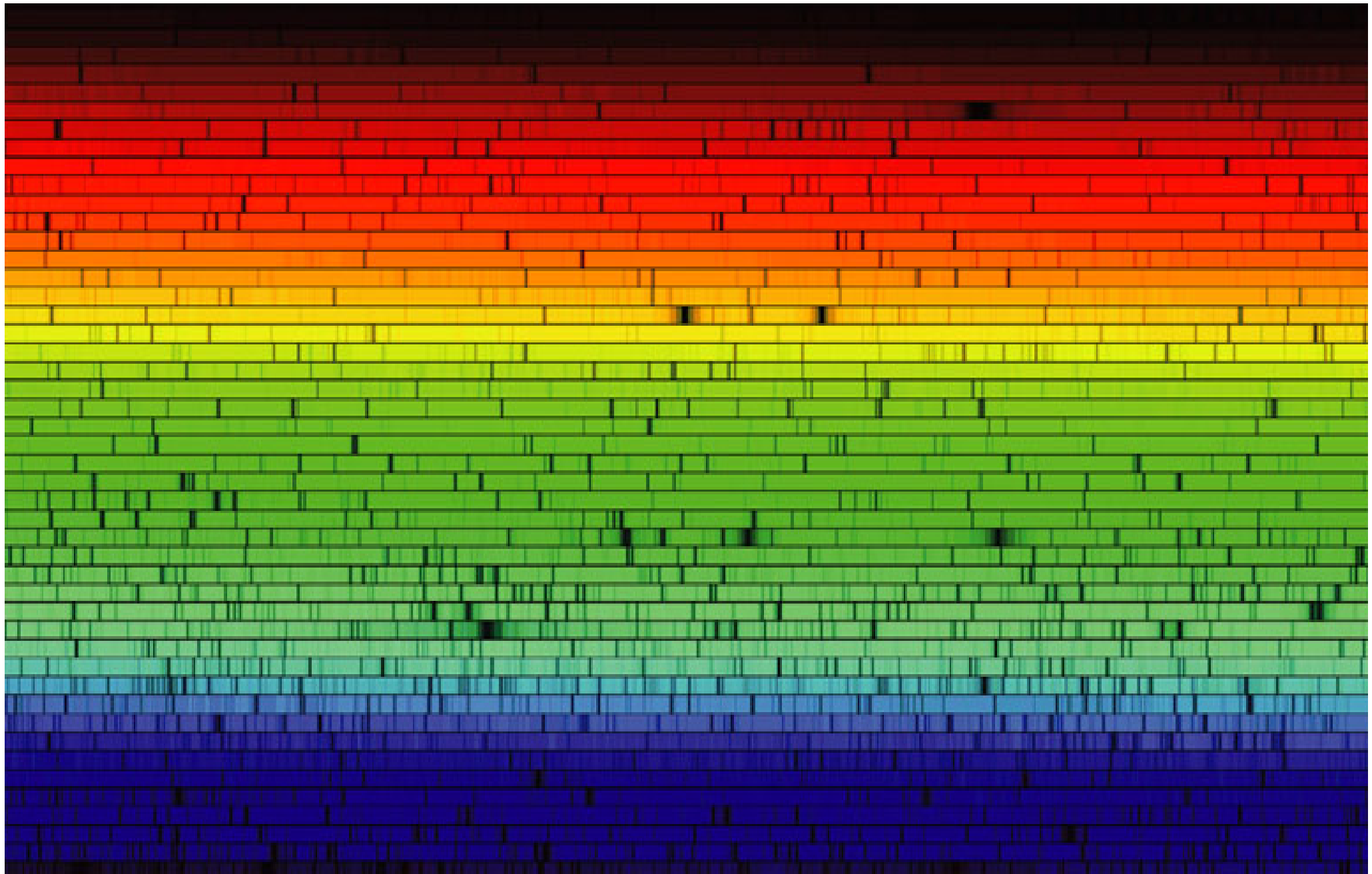
# Optical Wavelength Bands

## Kron/Cousins UBVR I Filters



- U filter (P/N KRON-U-XX)
- B filter (P/N KRON-B-XX)
- V filter (P/N KRON-V-XX)
- R filter (P/N KRON-R-XX)
- I filter (P/N KRON-I-XX)

# Stellar Spectra



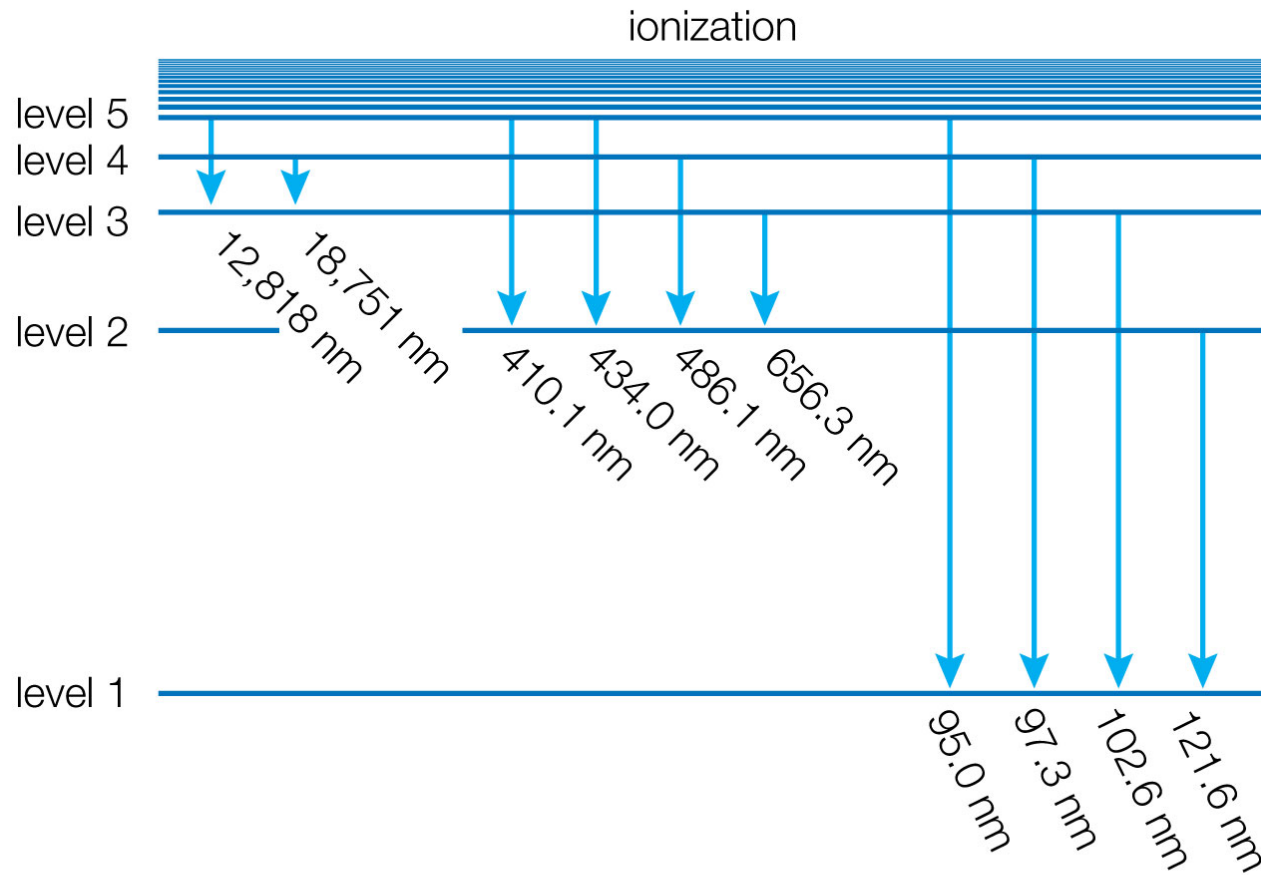
Absorption lines in the Sun's spectrum  
(Fraunhofer lines)

# Kirchoff's laws

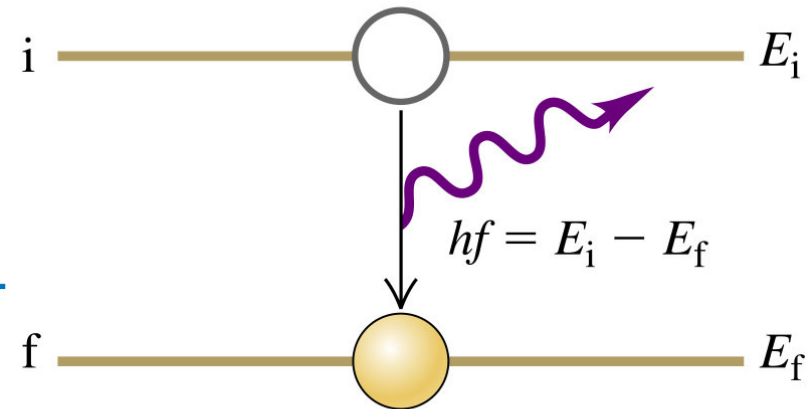
*Chemical Analysis by Spectral Observations* (Kirchoff & Bunsen)

- A hot solid, liquid, or dense gas produces a continuous spectrum.
- A thin gas in front of a cooler background produces an emission line spectrum.
- A thin gas in front of a hot source imprints absorption lines on the spectrum. This is mainly what we see from stars.

# Chemical Fingerprints



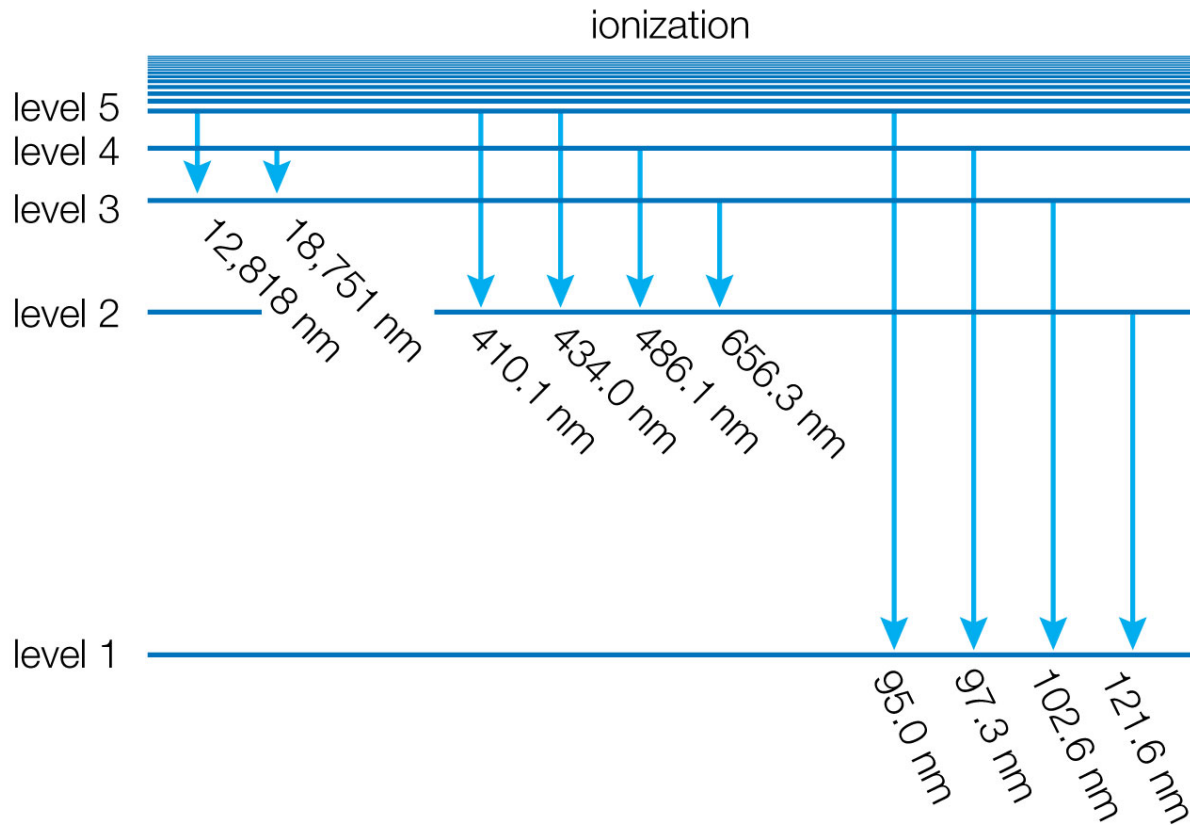
- Downward transitions produce a unique pattern of emission lines.



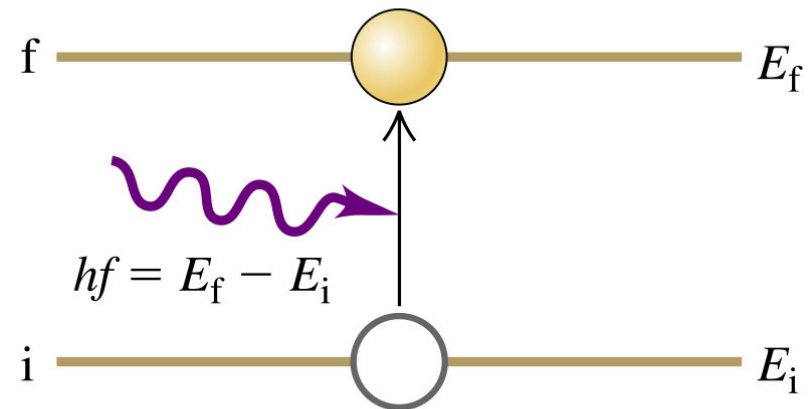
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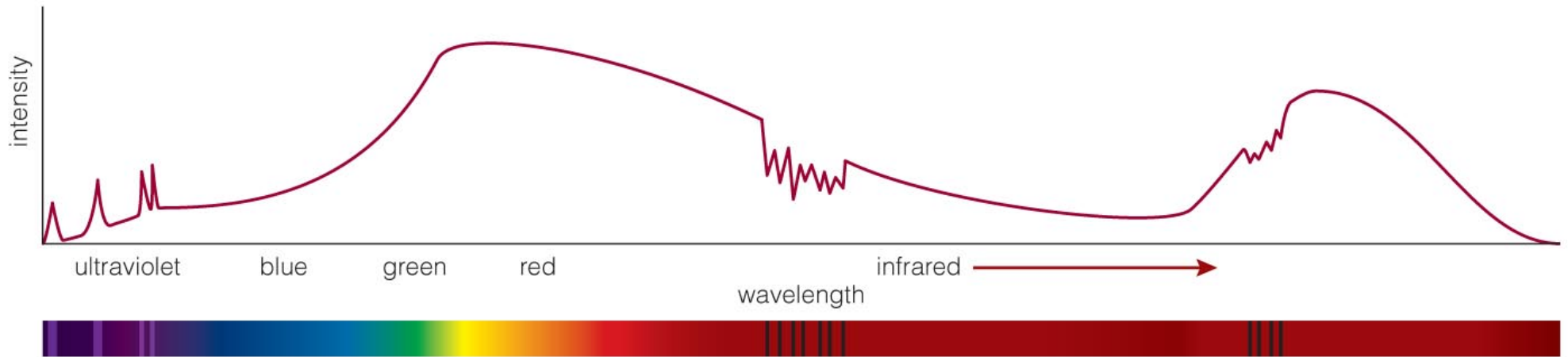
# Chemical Fingerprints



- Because those atoms can absorb photons with those same energies, upward transitions produce a pattern of absorption lines at the same wavelengths.



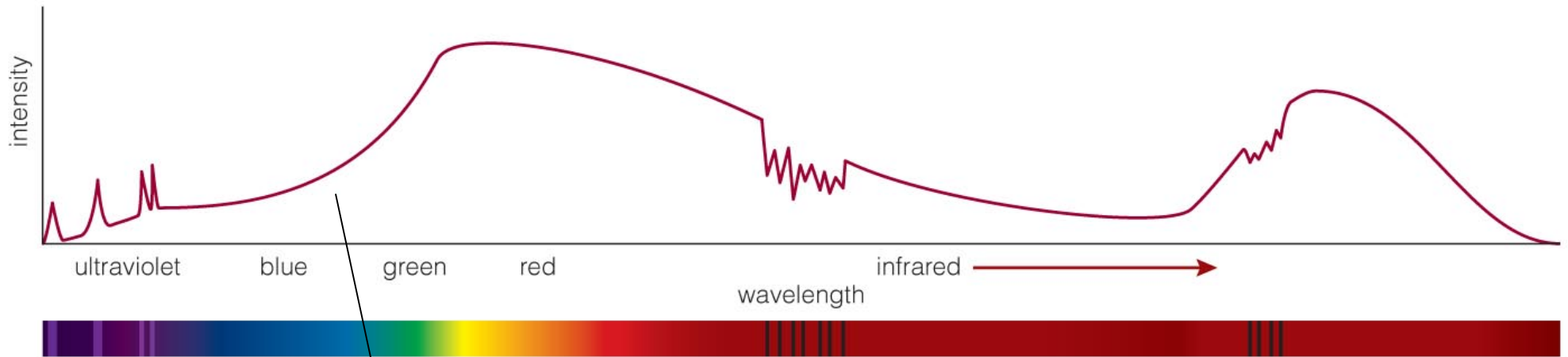
# Interpreting an Actual Spectrum



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- By carefully studying the features in a spectrum, we can learn a great deal about the object that created it.

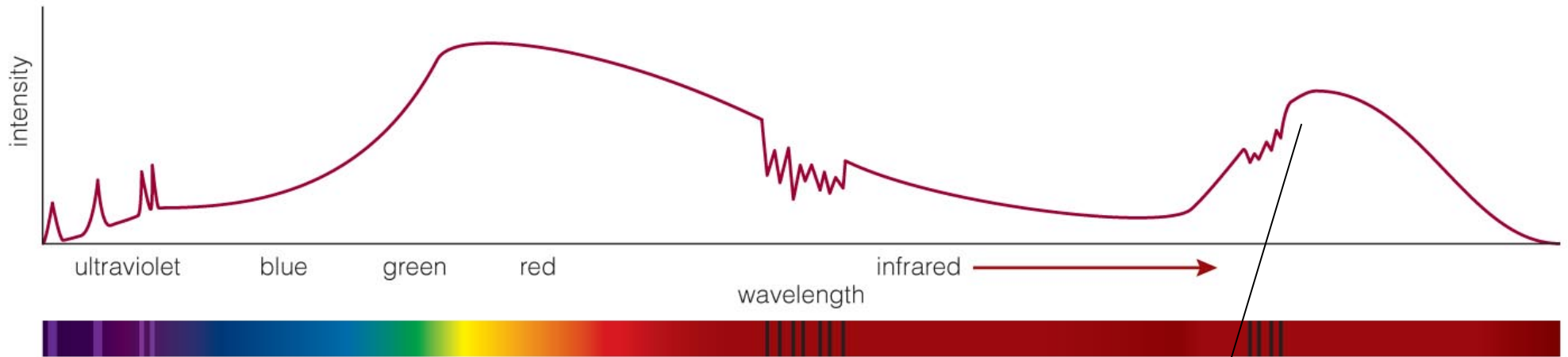
# Interpreting an Actual Spectrum



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Reflected sunlight:  
Continuous spectrum of  
visible light is like the Sun's  
except that some of the blue  
light has been absorbed—  
the object must look red.

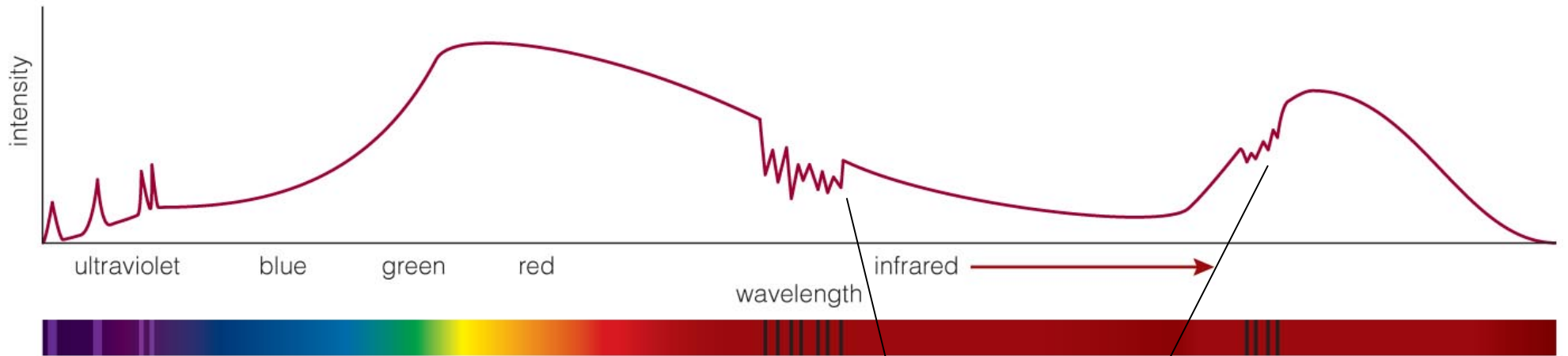
# Interpreting an Actual Spectrum



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Thermal radiation: Infrared spectrum peaks at a wavelength corresponding to a temperature of 225 K.

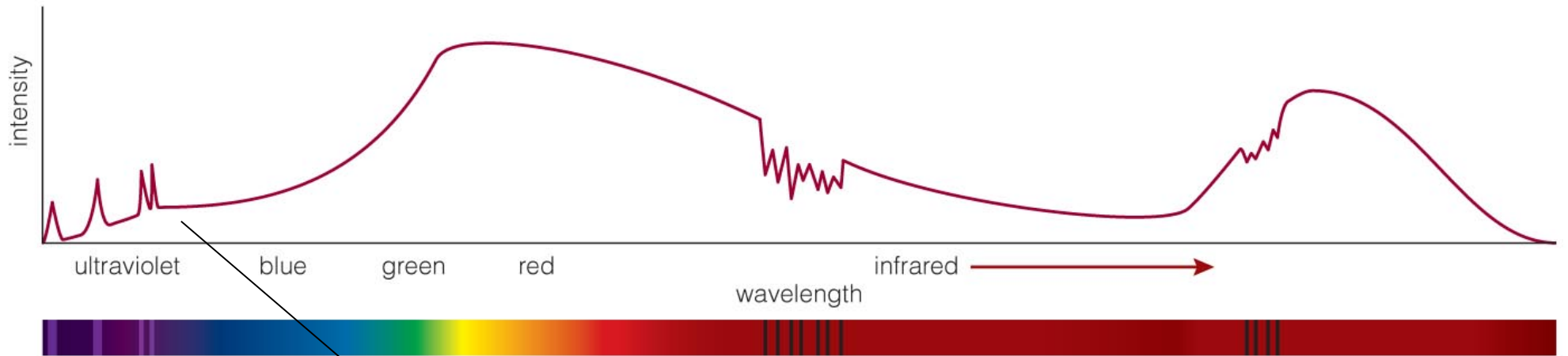
# Interpreting an Actual Spectrum



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Carbon dioxide: Absorption lines are the fingerprint of  $\text{CO}_2$  in the atmosphere.

# Interpreting an Actual Spectrum



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Ultraviolet emission lines:  
Indicate a hot upper  
atmosphere

**Table 11.1** *The Spectral Sequence*

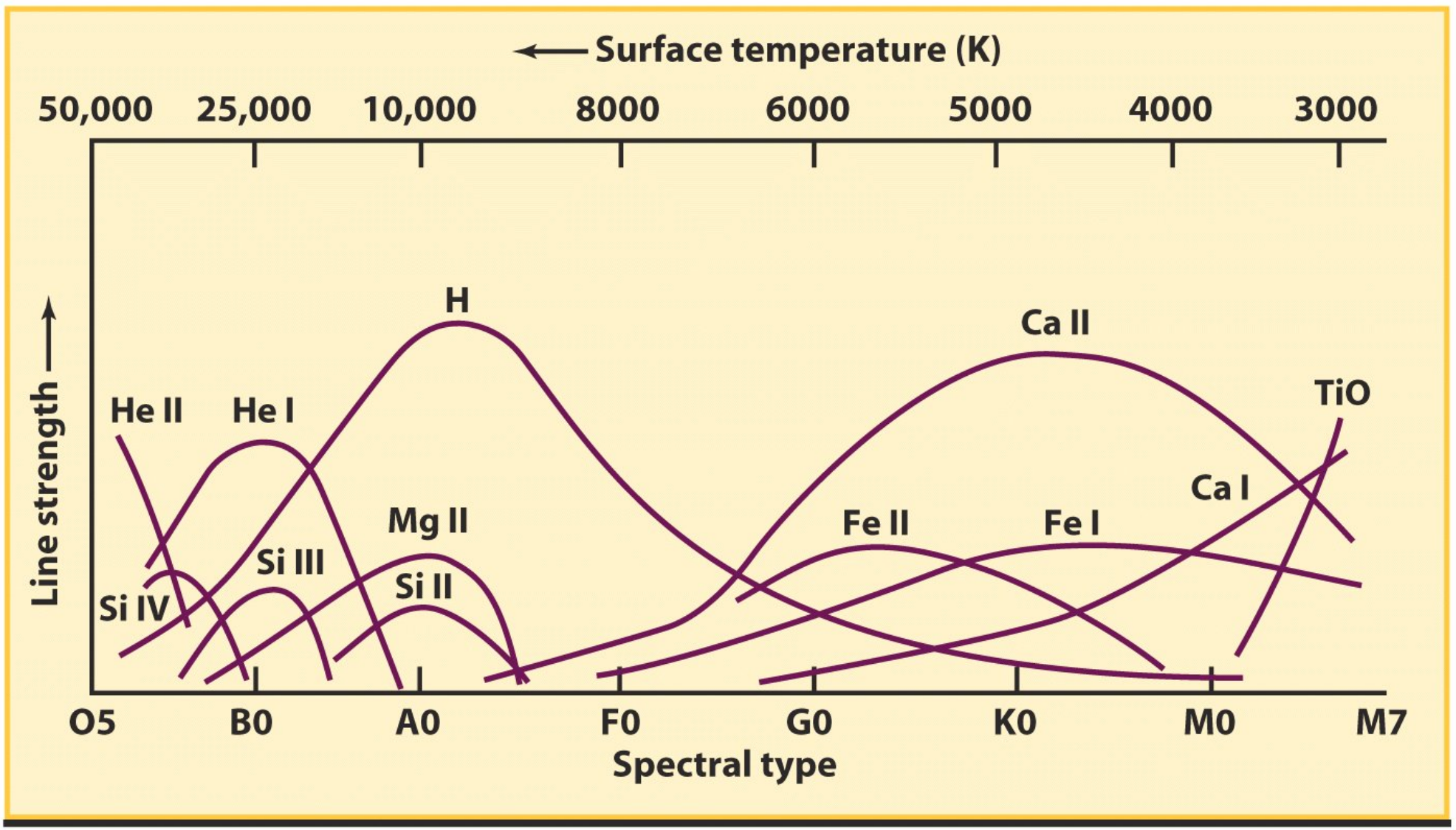
Spectral Type	Example(s)	Temperature Range	Key Absorption Line Features	Brightest Wavelength (color)	Typical Spectrum
O	Stars of Orion's Belt	>30,000 K	Lines of ionized helium, weak hydrogen lines	>97 nm (ultraviolet)*	
B	Rigel	30,000 K–10,000 K	Lines of neutral helium, moderate hydrogen lines	97–290 nm (ultraviolet)*	
A	Sirius	10,000 K–7500 K	Very strong hydrogen lines	290–390 nm (violet)*	
F	Polaris	7500 K–6000 K	Moderate hydrogen lines, moderate lines of ionized calcium	390–480 nm (blue)*	
G	Sun, Alpha Centauri A	6000 K–5000 K	Weak hydrogen lines, strong lines of ionized calcium	480–580 nm (yellow)	
K	Arcturus	5000 K–3500 K	Lines of neutral and singly ionized metals, some molecules	580–830 nm (red)	
M	Betelgeuse, Proxima Centauri	<3500 K	Strong molecular lines	> 830 nm (infrared)	

\*All stars above 6000 K look more or less white to the human eye because they emit plenty of radiation at all visible wavelengths.

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Lines in a star's spectrum correspond to a *spectral type* that reveals its temperature:

(Hottest)    O B A F G K M    (Coolest)



- The spectral class of a star is directly related to its surface temperature
  - O stars are the hottest
  - M stars are the coolest

A star's full classification includes spectral type (line identities) and luminosity class (line shapes, related to the size of the star):

- I — supergiant
- II — bright giant
- III — giant
- IV — subgiant
- V — main sequence

Examples: Sun — G2 V

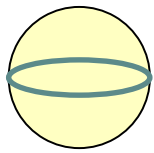
Sirius — A1 V

Proxima Centauri — M5.5 V

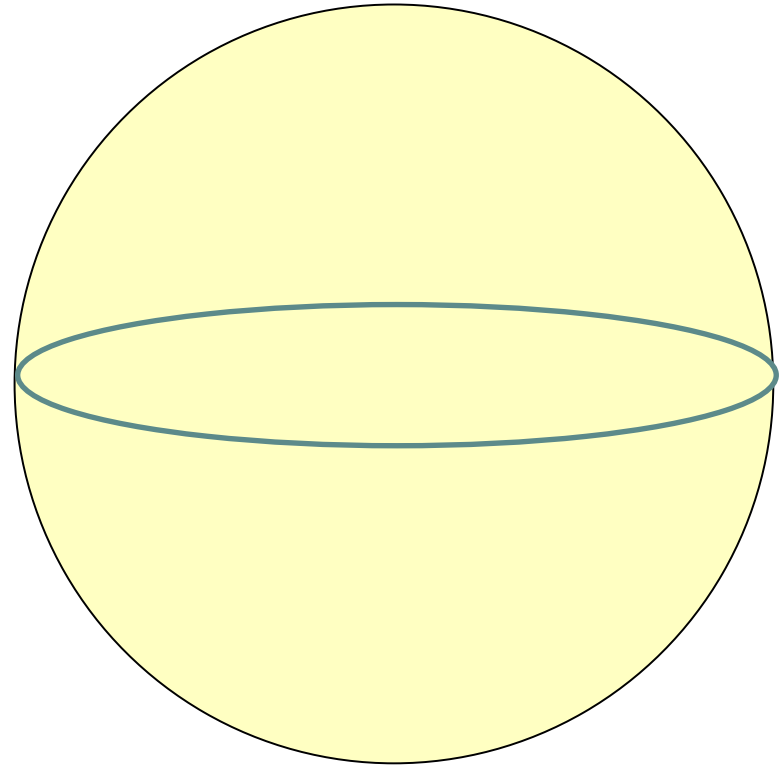
Betelgeuse — M2 I

# Luminosity Class Implies Size

- Consider the Sun and Capella



**The Sun**  
**G2V M=5**

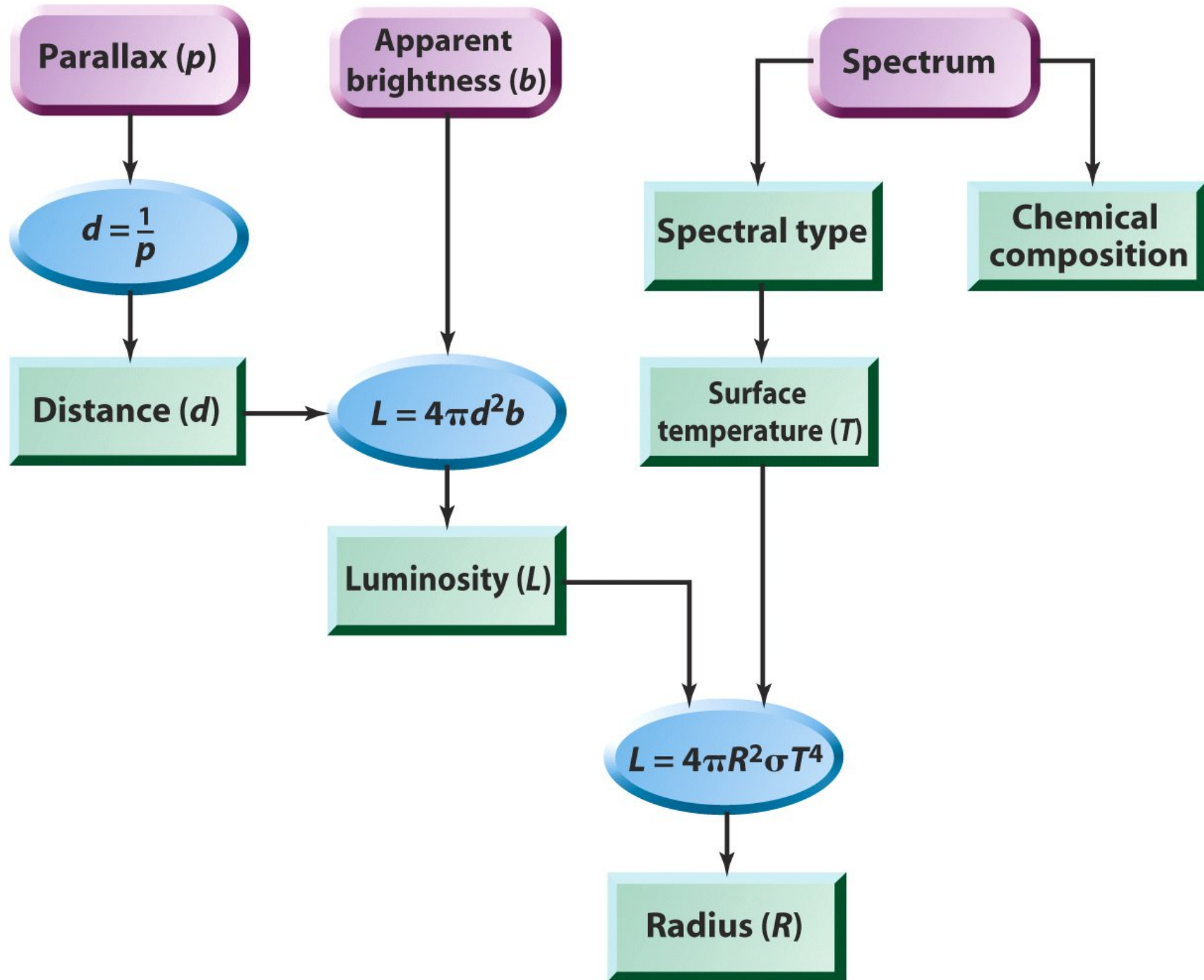


**Capella**  
**G2III M=0**

# Luminosity Class Implies Size

- Equal sized pieces of each star are equally bright
- Capella is 100X brighter (5 magnitudes)
- Capella must have 100X as much area
- Surface area  $\propto$  radius<sup>2</sup>
- Capella must be 10X larger than Sun.

# Flowchart of Key Stellar Parameters



# Stellar Mass

- Fuel burning rate
- Lifetime  $10^{10} \text{ yr } (M/M_{\text{Sun}})^{-2.8}$
- Luminosity  $L \propto M^{3.8}$
- Impossible to measure for isolated stars

# How do we measure stellar masses?

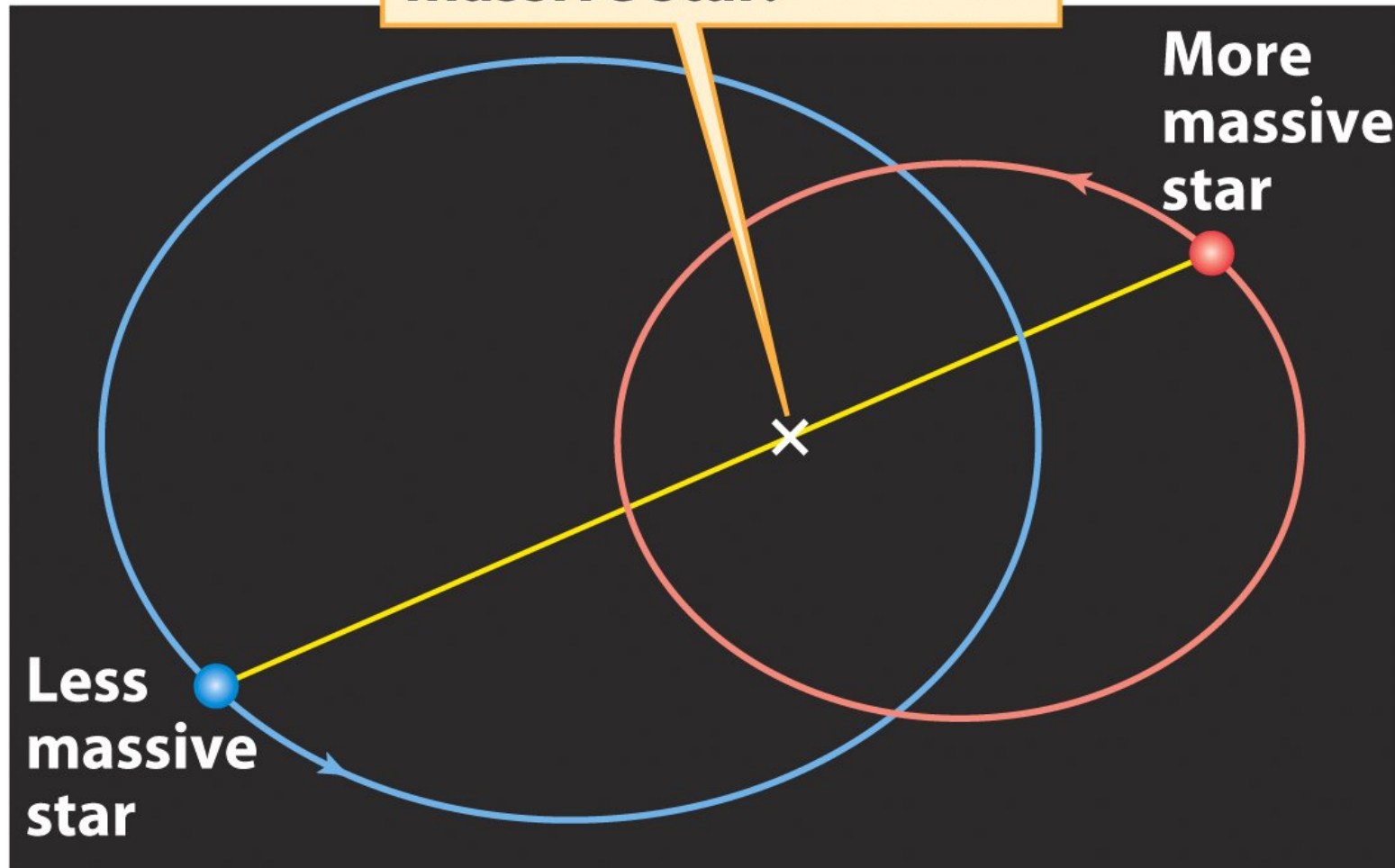
## Binary Star Orbits

Two stars held in orbit around each other by their mutual gravitational attraction.

Each of the two stars in a binary system moves in an elliptical orbit about the center of mass of the system.

Orbit of a binary star system depends on the component masses.

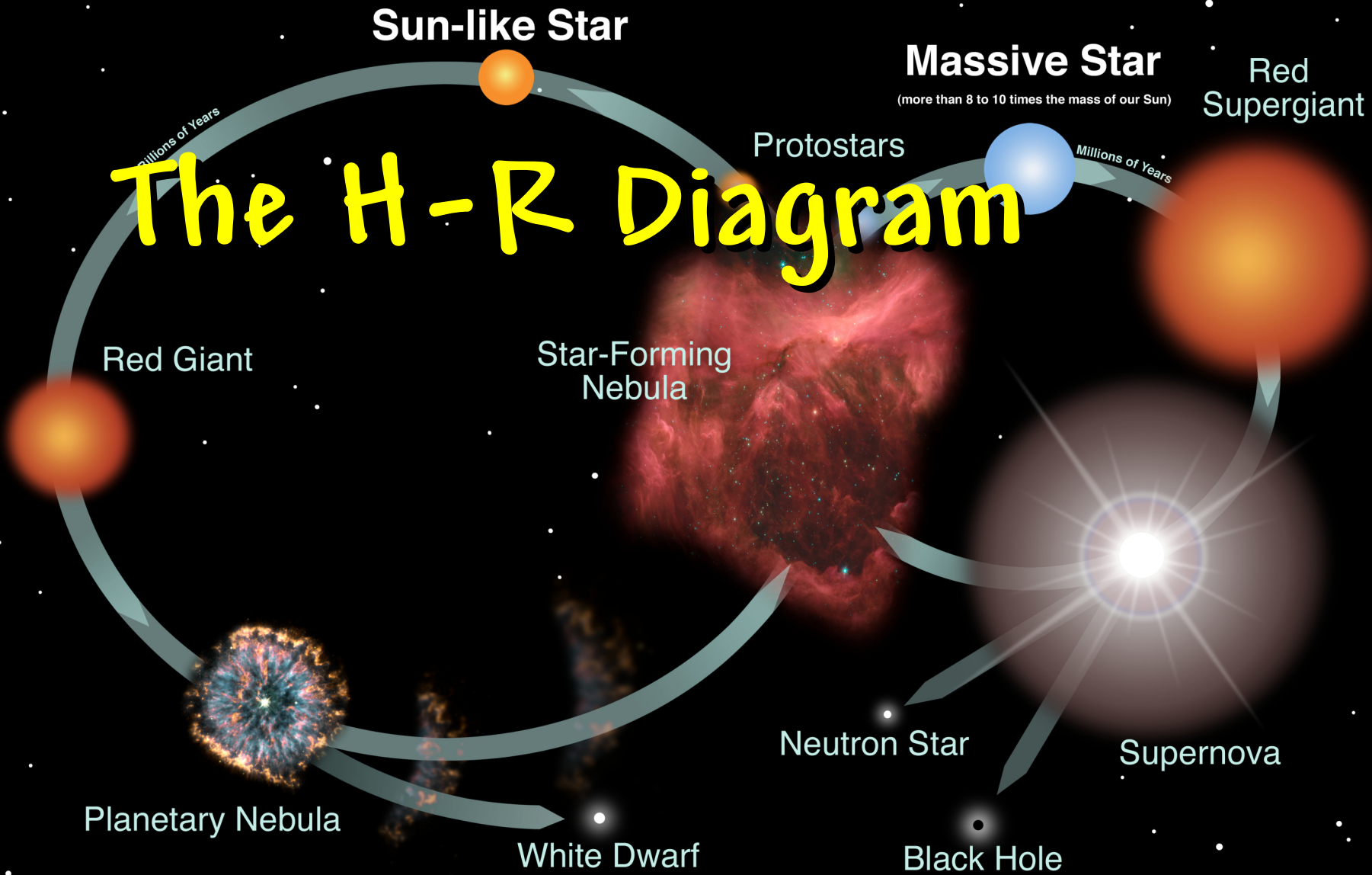
The center of mass of the binary star system is nearer to the more massive star.



**A binary star system**



# The H-R Diagram



the lives of stars

# The Hertzsprung-Russell Diagram

- Distances
- Radial velocity
- Proper motion & tangential velocity
- Flux - distance - luminosity
- Apparent magnitudes
- Absolute magnitudes
- Spectral types
- Ionization vs temperature
- Diameters of stars
- Masses of stars
- Spectroscopic binaries
- Mass-luminosity relationship

**The Hertzsprung-Russell diagram can visualize all of these things**

# Hertzprung-Russell Diagram

Luminosity,  $L$  ( $L_{\text{Sun}}$ )

